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# Molecular simulations of $\mathrm{C}_{60}$ self-assembly on metal-adsorbed $\mathrm{Si}(111)$ surfaces 

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#### Abstract

The authors have proposed a simulation procedure for the evaluation of energetics of $\mathrm{C}_{60}$ islands on crystalline surfaces that allows questions relating to shape, size, and orientation of the islands to be addressed. Simulation consists of placing a patch of close-packed $\mathrm{C}_{60}$ array of a given shape and size on a surface potential relief and finding energy minima by variation of island position and orientation. Upon appropriate adjustment of the surface potential relief, simulations reproduce well all the main results of the scanning tunneling microscopy observations. For $\mathrm{C}_{60}$ islands forming on In-adsorbed $\operatorname{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Au}$ and pristine $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Ag}$ surfaces, the optimal surface relief shows up as a periodic array of cosine-shaped peaks. The proposed approach provides a hint for understanding the driving mechanisms of $\mathrm{C}_{60}$ self-assembly, and, in principle, it can be applied to other adsorbate-substrate systems. © 2016 American Vacuum Society.


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## I. INTRODUCTION

Since the discovery of the $\mathrm{C}_{60}$ buckminsterfullerene in $1985,{ }^{1}$ fullerenes, carbon molecules with a cage structure, have attracted widespread attention due to their unique properties and prospects for device applications. In particular, self-assembled growth of fullerene monolayers on various substrates is an actively developed research area. Numerous experimental investigations have been conducted in this field utilizing a variety of surface-sensitive techniques, including scanning tunneling microscopy and spectroscopy (STM), ${ }^{2-14}$ $x$-ray diffraction, ${ }^{15-18}$ low-energy electron diffraction, ${ }^{10,19-23}$ photoemission spectroscopy, ${ }^{6,15,24}$ etc. However, the most advanced and reliable results have been obtained only when the experimental observations were combined with theoretical considerations (e.g., as has been done in all the works referred to above). Among other theoretical approaches, density functional theory (DFT) calculations occupy the most prominent place. ${ }^{2-10,15-31}$ They demonstrate a great efficiency in resolving many complicated subjects related to fullerene interactions with surfaces, such as $\mathrm{C}_{60}$ adsorption geometry, including the cases of substrate reordering (e.g., nanopit formation), orientation of fullerene on a surface and simulation of corresponding STM images with intramolecular resolution, charge transfer and change of fullerene electronic properties upon adsorption onto a given surface, fullerene manipulations, etc. Note that

[^0]all these characteristics refer primarily to individual fullerenes, which is a natural consequence of computational limitations for many-atom systems.

As for fullerene islands, their formation has been treated using nucleation rate theory ${ }^{32}$ or kinetic Monte Carlo simulations via analysis of island number density, ${ }^{11,12}$ island size distribution, ${ }^{11,13}$ or capture zone distribution ${ }^{14}$ as a function of growth parameters, temperature, and deposition rate. This approach enables determination of a critical island size, a surface diffusion barrier, and a binding energy gained in forming the critical island.

However, a number of questions related to fullerene selfassembly cannot really be dealt with using the above theoretical approaches. In particular, we could mention elucidating the origin of occurring orientations of $\mathrm{C}_{60}$ close-packed arrays with respect to crystal substrates or developing $\mathrm{C}_{60}$ island shapes. Thus, novel approaches are required to fill this gap. These might be very sophisticated, like kinetic Monte Carlo simulations used for studying the $\mathrm{C}_{60}$ layer growth on pentacene ${ }^{33-36}$ or graphite, ${ }^{37}$ but could also be relatively simple, such as that used in the present work where the simulation procedure is based on placing a patch of $\mathrm{C}_{60}$ of a given size, shape, and orientation onto a known or suppositious surface potential relief and evaluating its energy.

In the present work, this approach has been applied to $\mathrm{C}_{60}$ arrays and islands self-assembled on In-adsorbed $\operatorname{Si}(111) \sqrt{3}$ $\times \sqrt{3}-\mathrm{Au}$ and pristine $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Ag}$ surfaces. It has been demonstrated that under appropriate adjustment of a shape of a surface potential relief, the simulations reproduce
well the main results of STM observations, including the occurrence of selected orientations of $\mathrm{C}_{60}$ arrays and island shapes, including the development of $\mathrm{C}_{60}$ magic-size islands.

## II. SIMULATION AND EXPERIMENTAL DETAILS

Simulations were done in the framework of assumptions as follows:
(1) A substrate surface is represented by a periodic potential relief which remains unchanged upon fullerene adsorption.
(2) Fullerenes tend to occupy the lowest-energy sites.
(3) $\mathrm{C}_{60}$ islands show up essentially as patches of the fullerite monolayer (hexagonal close-packed $\mathrm{C}_{60}$ array) on a substrate surface.

A detailed description of the algorithm used in the simulations is given in the supplementary material. ${ }^{38}$

Note that the $\mathrm{C}_{60}-\mathrm{C}_{60}$ distance in the simulations was fixed for all fullerenes at $10.02 \AA$, the value of the fullerite layer. In principle, the intermolecular interaction can be taken into account using the corresponding term based on $\mathrm{C}_{60}-\mathrm{C}_{60}$ paired potential (e.g., like that calculated in Ref. 39). However, our test simulations for selected $\mathrm{C}_{60}$ islands show that $\mathrm{C}_{60}-\mathrm{C}_{60}$ distances vary within the island by less than $0.5 \%$. Note that this is consistent with the results of STM observations of $\mathrm{C}_{60}$ arrays on the In-adsorbed $\mathrm{Si}(111) \sqrt{3}$ $\times \sqrt{3}-\mathrm{Au}$ (Ref. 40) or pristine $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Ag}$ (Refs. 41 and 42) surfaces, which demonstrates that $C_{60}$ self-arrange on these surfaces into close-packed fullerite-layer-like arrays irrespective of the array size, shape, and orientation. Thus, the assumption of the constant $\mathrm{C}_{60}-\mathrm{C}_{60}$ distance is proved to be an adequate guess, with the additional merit that it facilitates the calculations.

To check the validity of the simulations, their results were compared with the data acquired in STM studies of $\mathrm{C}_{60}$ growth on In -adsorbed $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Au}$ and pristine $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Ag}$ surfaces. A detailed description of the experiments is given elsewhere. ${ }^{39,40,43}$ In brief, experiments were performed with an Omicron VT-STM operating in an ultrahigh vacuum $\left(\sim 2.0 \times 10^{-10}\right.$ Torr $)$. Atomically clean $\operatorname{Si}(111) 7 \times 7$ surfaces were prepared in situ by flashing to $1280^{\circ} \mathrm{C}$ after the samples were first outgassed at $600^{\circ} \mathrm{C}$ for several hours. Gold and silver were deposited from Au- and Ag-wrapped tungsten filaments, respectively, indium from a Ta crucible and $\mathrm{C}_{60}$ fullerenes from a Ta boat or Mo crucible. For STM observations, electrochemically etched tungsten tips cleaned by in situ heating were employed. All STM images were acquired at room temperature.

## III. RESULTS AND DISCUSSION

Let us start with $\mathrm{C}_{60}$ self-assembly on In-adsorbed $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}$ - Au surface and summarize the main available data concerning this system. A pristine $\mathrm{Au} / \mathrm{Si}(111) \sqrt{3}$ $\times \sqrt{3}$ surface is typically prepared by depositing about 1 ML Au onto an $\operatorname{Si}(111) 7 \times 7$ surface held at $\sim 600^{\circ} \mathrm{C}$. Its ideal atomic structure is described by the conjugate honeycomb-chained-trimer (CHCT) model. ${ }^{44-46}$ The characteristic feature of the real $\sqrt{3} \times \sqrt{3}-\mathrm{Au}$ surface is a disordered
meandering domain-wall network. ${ }^{47}$ The domain walls can be melted at temperatures higher than $600^{\circ} \mathrm{C}$, but they restore back upon cooling the sample to room temperature. ${ }^{44}$ However, a stable highly ordered domain-wall-free $\sqrt{3}$ $\times \sqrt{3}$ - Au surface can be formed by adding to it $\sim 0.15 \mathrm{ML}$ of a suitable adsorbate, in particular, $\operatorname{In} .^{48-50}$ In this case, the CHCT arrangement of the original $\sqrt{3} \times \sqrt{3}-\mathrm{Au}$ surface is preserved while In forms a two-dimensional adatom gas on the surface. Adatoms are highly mobile at room temperature but they can be frozen in fixed positions upon cooling to $\sim 100 \mathrm{~K}$.

When $\mathrm{C}_{60}$ fullerenes are deposited onto an In-adsorbed $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Au}$ surface, two types of $\mathrm{C}_{60}$ arrays with different orientations are formed. ${ }^{40}$ In the arrays of the first type ( $19.1^{\circ}$-rotated arrays), the molecular rows make an angle of $\pm 19.1^{\circ}$ with the principal crystallographic directions of the $\mathrm{Si}(111)$ surface, i.e., $\langle 10 \overline{1}\rangle$. In these arrays, all fullerenes exhibit the same STM contrast which can be treated as a sign of a similar bonding state. In the arrays of the second type ( $0^{\circ}$-rotated arrays), the rows are aligned along the $\langle 10 \overline{1}\rangle$ directions. A peculiar feature of the $0^{\circ}$ rotated arrays is the characteristic moiré pattern which shows up as a $2 \mathrm{D} \sqrt{19} \times \sqrt{19}$ lattice of fullerenes that look in STM images brighter than other ones. It was recognized that "bright" fullerenes reside directly atop Au trimers of underlying $\operatorname{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Au}$ surface ${ }^{40}$ and this adsorption site is the most energetically unfavorable one. ${ }^{39}$

The occurrence of the moiré pattern has been found to affect the growth of $0^{\circ}$-rotated $\mathrm{C}_{60}$ islands, whose shape and size are dictated by minimization of the number of "bright" fullerenes within an island. ${ }^{39}$ Among the small islands, the most stable are those where the absence of "bright" fullerenes is achieved by adopting unusual noncompact island shapes (e.g., "stadium," "boomerang," and "zigzag") [Fig. 1(a)]. The islands of the larger sizes have the shape of the overlapping hexagons with "bright" fullerenes in their centers. Large $19.1^{\circ}$-rotated $\mathrm{C}_{60}$ islands are also observed [Fig. 1(b)].

The first step for starting simulations is generating appropriate surface potential relief associated with the fullerene interaction with a given surface. An initial hint can be provided by the DFT calculations which yield adsorption energies in selected sites within the surface unit cell. As an example, such a data set for $\operatorname{Si}(111) \sqrt{3} \times \sqrt{3}$ - Au surface reconstruction with 1/6 ML In taken from Ref. 39 is shown in Fig. 2. In the cited calculations, ${ }^{39}$ the DFT-based Vienna ab initio simulation package with the projector-augmented wave pseudopotentials and nonlocal van der Waals exchange-correlation function were used to obtain accurate $\mathrm{C}_{60}$-surface adsorption energies. In Fig. 2, one can see that the most stable $\mathrm{C}_{60}$ adsorption site is that in the center of the Si trimer, while the most energetically unfavorable is that in the center of the Au trimer. As a first guess, the potential relief is built using interpolation through available reference points [Fig. 3(a)]. Then, the $\mathrm{C}_{60}$ island (which is essentially a patch, or partial monolayer, of closepacked fulleritelike monolayer) of a given shape and size is superposed on the potential relief. The energy of the island is defined as the sum of energies of all fullerenes divided by the


Fig. 1. (Color online) STM images of $45 \times 45 \AA^{2}$ showing the typical $C_{60}$ islands forming on In-adsorbed $\operatorname{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Au}$ surface (a) at the early and (b) more late growth stage. Rotational orientations of the islands are indicated with respect to the principal crystallographic directions of the $\operatorname{Si}(111)$ surface, $\langle 10 \overline{1}\rangle$.
$\mathrm{C}_{60}$ number, where the energy of each fullerene is given by the value of potential in its adsorption site. First, the rotation angle is fixed and an entire island is moved within $\sqrt{3} \times \sqrt{3}$ unit cell until the minimal energy is achieved for a given angle. Then, the procedure is repeated for a set of angles. As a result, one has a dependence of island energy as a function of a rotation angle. In the present simulations, the range of $0^{\circ}-30^{\circ}$ is explored with a step of $0.1^{\circ}$. The dependence shows a number of minima at selected angles of which the lowest minimum corresponds to an optimal island orientation. In order to test the validity of the proposed surface potential relief, we consider two sample islands: the $37-\mathrm{C}_{60}$ island (which according to the experiment has to have $0^{\circ}$-rotated orientation and a regular hexagon shape with a bright $\mathrm{C}_{60}$ at its center) and the relatively large $365-\mathrm{C}_{60}$ island (which according to the experiment has to have $19.1^{\circ}$-rotated orientation and no moiré pattern). One can see that with the given interpolated potential relief the goal is not reached either for small or large islands. In contrast to the experiment, the $10.9^{\circ}$-rotated orientation appears to be the lowest-energy one for both types of islands [Fig. 3(a)].


Fig. 2. (Color online) Schematic diagram of $\operatorname{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Au}$ surface (CHCT model) where $\mathrm{C}_{60}$ adsorption sites are indicated with corresponding calculated adsorption energies taken from Ref. 39. Legend for Au and Si atoms is given in the Figure. Si and Au trimers are outlined by triangles. In atoms (not shown) are hopping between centers of Si trimers.

Modest smearing of the original relief (that is thought to simulate roughly the thermal effects) partially improves the situation: The simulated $37-\mathrm{C}_{60}$ island adopts the proper $0^{\circ}$-rotated orientation, but the simulated $365-\mathrm{C}_{60}$ island demonstrates incorrect $30^{\circ}$-rotated orientation [Fig. 3(b)]. Only when the potential relief is further simplified and becomes approximated by just the cosine-shaped peaks, the proper island orientations are obtained: $0^{\circ}$ and $19.1^{\circ}$ rotation for the $37-\mathrm{C}_{60}$ and $365-\mathrm{C}_{60}$ islands, respectively [Fig. 3(c)]. One can also notice a certain resemblance in the internal contrast of the simulated islands and their counterparts in the experimental STM images [Fig. 3(d)]. However, we would like to note that actually the brightness of fullerenes in the STM images and in the simulated islands has a different origin. STM contrast is associated with the topography and/or electron density of states. In the simulated islands, the brighter $\mathrm{C}_{60}$ s have a higher energy (i.e., occupy the sites at the potential relief with a higher energy).

With the obtained potential relief, it becomes possible to simulate other islands and assess their energetics. The results of such an evaluation are summarized in Fig. 4 showing normalized energy of $\mathrm{C}_{60}$ islands of various types as a function of island size. The types of islands under consideration are as follows: $0^{\circ}$ - and $19.1^{\circ}$-rotated hypothetical islands with a shape of regular hexagons (indicated by open red and blue open hexagons, respectively), $0^{\circ}$-rotated experimentally observed islands, including those with a shape of overlapping hexagons and those of unusual noncompact shapes of stadium, boomerang, and zigzag (indicated by filled red circles), $19.1^{\circ}$-rotated experimentally observed islands having a shape of irregular hexagons (indicated by filled blue circles). One can see that among small islands the "stadium" (13 $\mathrm{C}_{60}$ ), "boomerang" (19 $\mathrm{C}_{60}$ ), and "zigzag" ( $30 \mathrm{C}_{60}$ ) are the most energetically favorable islands in agreement with the experiment. They are followed by the $37-\mathrm{C}_{60} 0^{\circ}$-rotated island with a regular hexagon shape. Remarkably, this is the only island of this type ( $0^{\circ}$-rotated regular hexagons) which has a preference over the similar-size islands of other types. For larger sizes (e.g., $61 \mathrm{C}_{60}, 101 \mathrm{C}_{60}$, etc.), the $0^{\circ}$-rotated regular hexagons become energetically unfavorable. In contrast, $19.1^{\circ}$-rotated regular hexagons are unfavorable at small


FIg. 3. (Color online) Results of simulations for various shapes of surface potential: (a) interpolated potential, (b) smeared interpolated potential, and (c) cosine-shaped potential for $37-\mathrm{C}_{60}$ island (left column) and $365-\mathrm{C}_{60}$ island (right column) presented as the dependencies of normalized island energy vs rotation angle. (d) Experimental STM images of the $0^{\circ}$-rotated $37-\mathrm{C}_{60}$ and $19.1^{\circ}$-rotated $365-\mathrm{C}_{60}$ islands vs their simulated counterparts.
sizes but become favorable at sizes above $\sim 70 \mathrm{C}_{60}$ where their energy is comparable with the energy of the $19.1^{\circ}$ rotated irregular hexagons observed in the STM experiments. Note that these islands can be treated as certain derivatives of the hypothetical regular islands. The $0^{\circ}$-rotated islands with a shape of overlapping hexagons have a similar energy to that of large $0^{\circ}$-rotated islands, which justifies the coexistence of islands of both types in the experiment. Thus, simulation reproduces well all the main results of the STM observations on $\mathrm{C}_{60}$ island growth on an In-adsorbed $\operatorname{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Au}$ surface.

As shown above, the lowest minimum in the dependence of island energy on its rotation angle yields the most preferable orientation of the $\mathrm{C}_{60}$ array. The occurrence of the other minima with a lower depth in such dependence might provide a hint for finding the arrays in alternative less preferable orientations. However, this is not realized in the considered
case of $\mathrm{C}_{60}$ arrays on In-adsorbed $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}$ - Au surface. One possible reason is the relatively strong binding of $\mathrm{C}_{60}$ to this surface, and hence high kinetic barriers. In contrast, the binding of $\mathrm{C}_{60}$ to the $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Ag}$ surface is less strong and the above consideration can be applied to this system. Moreover, the cosine-type potential relief has been proved to fit this case too rather than potential relief based on DFT calculations. ${ }^{51}$ Figure 5 shows the results of simulations of island energy versus rotation angle for the large island containing $271 \mathrm{C}_{60}$ fullerenes compared to the $\mathrm{C}_{60}$ orientational arrays observed in the experiment. One can see that the lowest minimum in simulations is at the $19.1^{\circ}$ rotation angle in agreement with STM observations showing that the majority of $\mathrm{C}_{60}$ arrays on $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Ag}$ are in the $19.1^{\circ}$-rotated orientation. However, close examination of STM images enables us to find minor arrays in the orientations predicted by simulations. Broad minima at $\sim 4^{\circ}$ and


Fig. 4. (Color online) Normalized energy (i.e., energy per $\mathrm{C}_{60}$ ) of $\mathrm{C}_{60}$ islands of various types as a function of island size (i.e., number of $\mathrm{C}_{60}$ molecules constituting a given island). The types of islands include $0^{\circ}$ - and $19.1^{\circ}$-rotated hypothetical islands having a shape of regular hexagons, $0^{\circ}$-rotated experimentally observed islands having a shape of overlapping hexagons as well as unusual shapes of stadium, boomerang, and zigzag, $19.1^{\circ}$-rotated experimentally observed islands having a shape of irregular hexagons. The legend for the corresponding symbols is given in the bottom of the Figure. Dashed lines for hypothetical hexagonal islands are drawn to guide an eye. Representative STM images are shown to illustrate the typical island shapes observed in experiment while simulated images show hypothetical hexagonal islands.
$6^{\circ}$ do have counterparts in STM images though it is impossible to elucidate accurate correspondence due to the limited accuracy of angle evaluation with STM. The arrays in $10.9^{\circ}$ and $30^{\circ}$-rotated orientations predicted by simulations are also present in reality. One could also expect arrays with rotation angles of $\sim 18^{\circ}$ and $\sim 21^{\circ}$ due to the occurrence of


Fig. 5. (Color online) Dependence of island energy vs rotation angle for the simulated large $271-\mathrm{C}_{60}$ island on $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Ag}$ surface with indication of correspondence of the minima of the dependence to the orientations of the extended arrays observed in the STM experiment. $\mathrm{C}_{60}$ array unit cells are outlined in the STM images.
corresponding minima, but in the real STM experiments they can hardly be distinguished from the $19.1^{\circ}$-rotated arrays.

Certain differences do exist in the behavior of $\mathrm{C}_{60}$ on Inadsorbed $\operatorname{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Au}$ and pristine $\mathrm{Si}(111) \sqrt{3}$ $\times \sqrt{3}-\mathrm{Ag}$ surfaces [e.g., in contrast to the $\mathrm{C}_{60} / \mathrm{Si}(111) \sqrt{3}$ $\times \sqrt{3}$-( $\mathrm{Au}, \mathrm{In})$ system, no regular moiré pattern develops in $\mathrm{C}_{60}$ layers on an $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Ag}$ surface, instead there are random dim $\mathrm{C}_{60}$ fullerenes whose appearance was suggested to result from the breaking of the Ag trimers beneath them]. ${ }^{43}$ However, many prominent features for both systems are effectively reproduced by simulations with a qualitatively similar potential relief with cosine-shaped peaks. It is worth noting that the usage of seemingly more accurate potentials that were determined using DFT calculations and that reveal a fine structure of potential relief ${ }^{39,43,51}$ produced poor simulation results. Three possible reasons for the advantage of the simplified potential can be proposed. First, the size of the $\mathrm{C}_{60}$ molecule exceeds the scale of the potential fine structure; thus, fullerene "feels" only the most essential features of the potential relief. Second, while in calculations of a potential as well as in simulations zero temperature is assumed, the real growth of $\mathrm{C}_{60}$ arrays proceeds at a finite temperature and thermal effects (vibration and rotation of the fullerenes) might be visualized as an effective smearing of the potential relief. Third, intermolecular $\mathrm{C}_{60}-\mathrm{C}_{60}$ forces may stabilize or destabilize certain positions on the surface, which is not taken into account in the DFT calculations for a single $\mathrm{C}_{60}$ adsorption.

## IV. CONCLUSION

In conclusion, the proposed procedure for simulation of self-assembled $\mathrm{C}_{60}$ islands on metal-adsorbed $\mathrm{Si}(111)$ surfaces has been proved to be a suitable tool for assessing island energetics, shape, and orientation. Simulation consists of placing a patch of close-packed $\mathrm{C}_{60}$ array of a given shape on a surface potential relief and finding energy minima by variation of island position and orientation. Upon appropriate adjustment of the surface potential relief, simulations reproduce all the main results of STM observations. For $\mathrm{C}_{60}$ islands forming on In -adsorbed $\mathrm{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Au}$ and pristine $\operatorname{Si}(111) \sqrt{3} \times \sqrt{3}-\mathrm{Ag}$ surfaces, the optimal surface relief is one that shows up as a periodic array of cosineshaped peaks. As the present simulations do not rely on any particular feature of the $\mathrm{C}_{60}$ molecule or given reconstruction, in principle, they can be applied to many other adsorba-te-substrate pairs.

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